





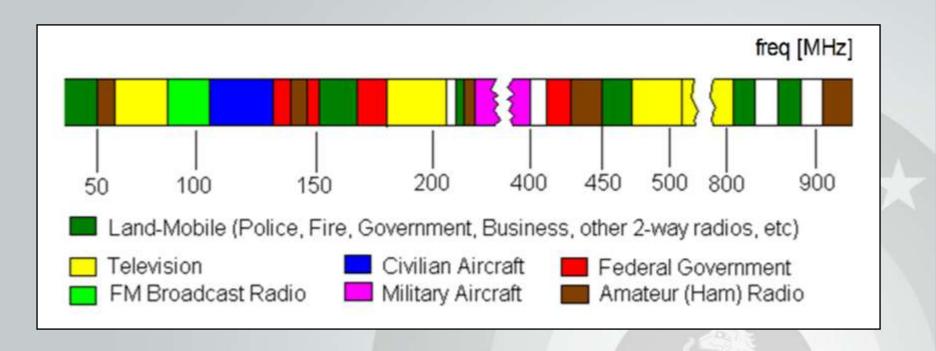
- Introduction
- Presentation of IWFA
- Implementation of IWFA
- Simulation results
- Conclusion



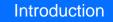








→ Potential approach : Cognitive Radio (Dynamic Spectrum Allocation)



ORITE A LA PALA





How to achieve Dynamic Spectrum Allocation?

→Use of Game theory

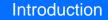
« Game theory is a mathematical modeling of strategic situations (= game), in which an individual's choice depends on the choices of the others. The choice is evaluated by an objective function »

→Cooperative vs. competitive approach

« Nash equilibrium (NE) can be reached. In a NE, no player can increase the outcome of its objective function by unilaterally changing its strategy »

→Iterative Water Filling Algorithm (IWFA)

« IWFA gives a sub-optimal allocation of the power by distributing the total power available at the transmit nodes on different sub-channels »









Implementation of IWFA in OMNET++/MiXiM

 \rightarrow IWFA has already been implemented in C/C++, matlab,...

...but never in an event-driven simulator

→ Improvement of IWFA thanks to the reduction of transmitted power

Total transmitted power is reduced (increased) if this power is higher (lower) than this necessary for reaching the desired data rate.

beneficial for :

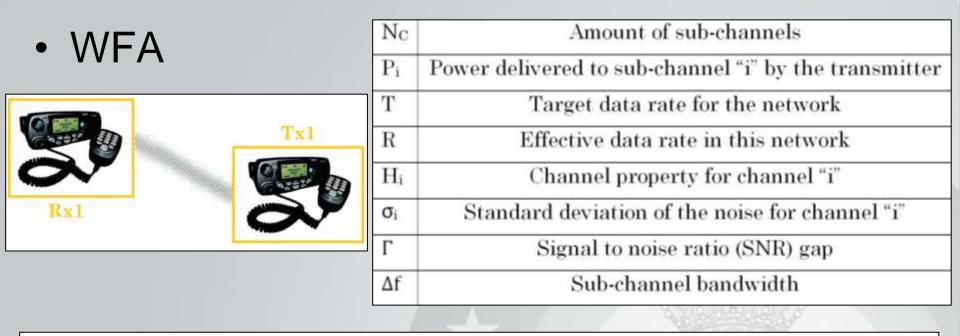
- economy of power
- reducing interference with other networks

Introduction



Presentation of the algorithm (1/3)





$$\begin{array}{ll} \text{Minimize} & \sum_{i=1}^{N_c} P_i \\ \text{subject to:} & T \leq R \quad \text{with} \quad R = \Delta f \, . \, \sum_{i=1}^{N_c} \log_2 \left(1 + \frac{P_i \cdot |H_i|^2}{\Gamma \cdot (\sigma_i)^2} \right) \end{array}$$

Introduction





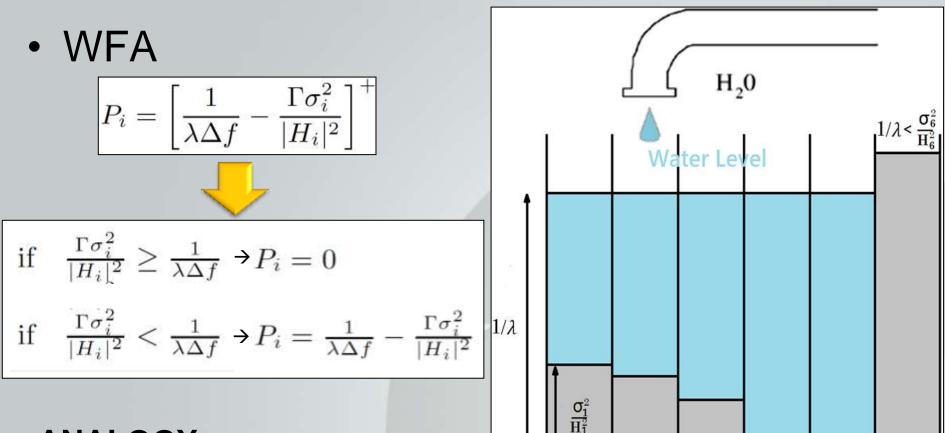
• WFA
Lagrange multiplier
(dual form)
$$L(\lambda, T) = P_i - \lambda \left[\Delta f \sum_{i=1}^{N_c} \log_2 \left(1 + \frac{P_i \cdot |H_i|^2}{\Gamma \sigma_i^2} \right) - T \right]$$
An additional variable (λ) is added in order to determine the maximum.
First derivative
$$\frac{\partial L(\lambda, T)}{\partial P_i} = 1 - \lambda \left[\Delta f \frac{|H_i|^2}{\Gamma \sigma_i^2 \cdot (1 + \frac{P_i \cdot |H_i|^2}{\Gamma \sigma_i^2})} \right]$$
The first derivative is taken equal to zero.

$$P_i = \left[\frac{1}{\lambda \Delta f} - \frac{\Gamma \sigma_i^2}{|H_i|^2} \right]^{+}$$
An optimum of the dual form is also an optimum of the initial form a



Presentation of the algorithm (1/3)



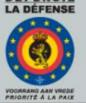


ANALOGY:

The water (= the power) has to be distributed in the reservoir (= the normalized noise in the sub-channels)

Introduction

Implementation



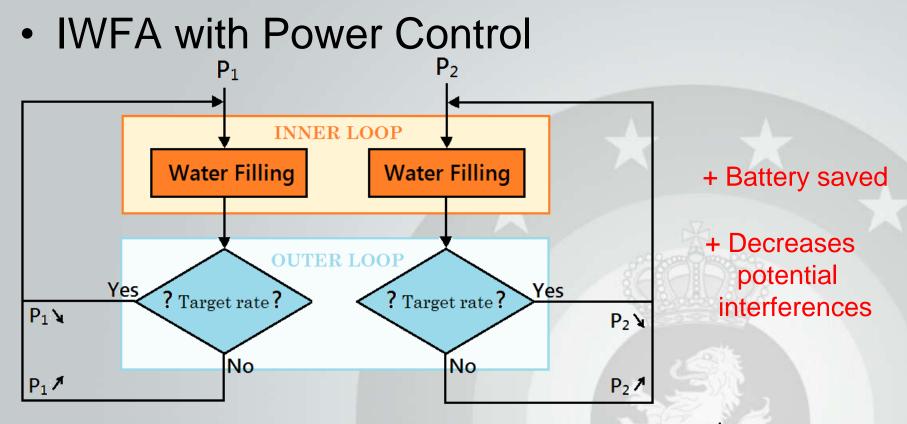
Presentation of the algorithm (2/3)



 Two couples of users • IWFA Communication through the same sub-channels Noisy environment Both couples want to ensure an optimal communication **Network 1 Network 2** Water Level Water Level Interferences Interferences Noise Noise 5 6 7 5 6 7 8 4 8 1 4 2 3 2 3 1 Number of the sub-channel Number of the sub-channel 10 Introduction Algorithm Implementation Results Conclusion







Effective rate (R_j) > target rate (T_j) \rightarrow Transmission power (P_j)

Effective rate (R_i) < target rate (T_i) \rightarrow Transmission power (P_i) \uparrow

Introduction



Implementation of the simulation



To implement the IWFA in Omnet++/Mixim, we need to :

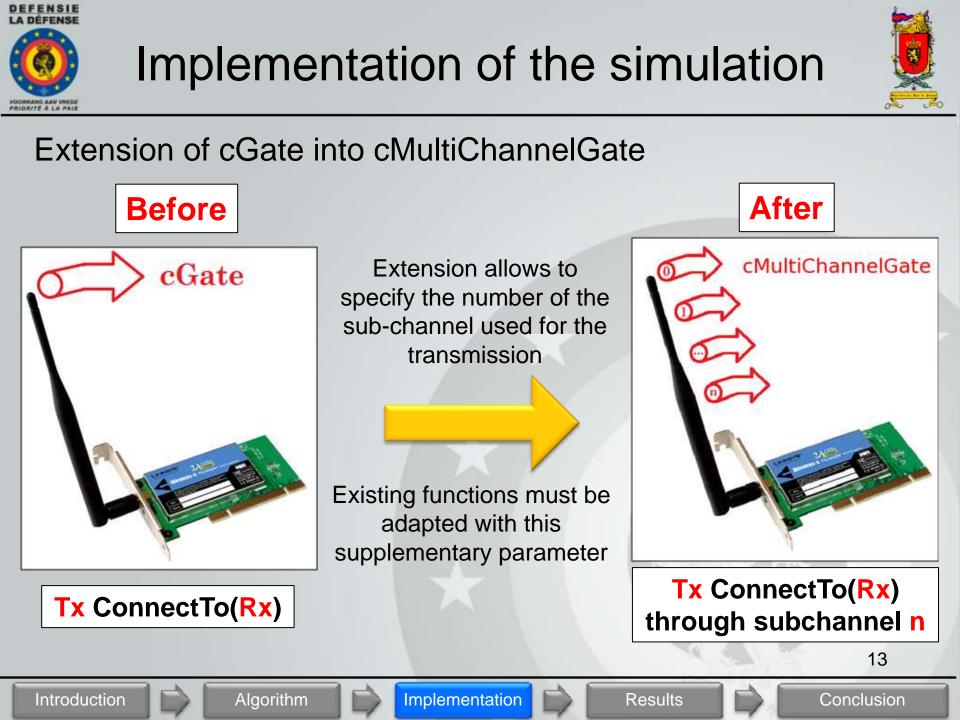
access and control multiple channels simultaneously.



 \rightarrow A first possible approach: use the signal class of MiXiM

 \rightarrow Our approach: we extend existing modules in the connection manager









Customization of the connection manager

 \rightarrow The connection manager doesn't only manage the connection between nodes, but also the sub-channels that can be used for that purpose.

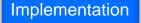
 \rightarrow Addition of the sub-channel dimension to several functions (to specify the sub-channel through which a message has to be sent).

"SendToChannel()", "ConnectTo()", and "DisconnectFrom()"

→Necessity of creating some new elements in order to stock data related to the execution of the algorithm.

3 new maps : "Node", "Waterfilling", and "Receiver"











Regulation of the power for each channel

Map Node

MultiChannelNicEntry*	int	double	double	int	double	double
node	indexchannel	pathloss	power	network	status	staticrandom

Map Waterfilling

double	double	int	double	
maxpower	constraintpower	iteration	targetrate	

Map Receiver

int	double	double	double	
indexchannel	noiseandinterference	powerowntx	pathlossowntx	



Implementation of the simulation



Regulation of the power for each channel



Map Node

MultiChannelNicEntry*	int	double	double	int	double	double
node	indexchannel	pathloss	power	network	status	staticrandom

Map Waterfilling	double	double		int	double	Connection Manager			
	maxpower	constraintpower		iteration	targetrate				
Localiterator - waterlevel - exponent - multiplicator - sumpower									
		int	double double		ole	double			
Map Receiver	ind	lexchannel	noiseandinterference		nce powero	wntx]	pathlossowntx		
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Implementation of the simulation



Three main functions are defined for the execution of IWF:

"CalcPower()": fill in the map linked to the the node class + updating pathloss value (function called with UpdateNicConnection())

"IterationInnerLoop()": distributes the available power on the different subchannels in order to maximize the data rate for this network.

"IterationOuterLoop()" : compares Target and Real data rate. This function determines if the total available power must be decreased or increased.







Scheduling of those functions :

Calcpower() executed with UpdateNicConnection() →Every time a node has moved

Periodic scheduling of the inner and outer loop
Some functions of the connection manager have been customized.
→Two events have been added to the existing ones:
•EXECUTE-IL

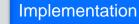
•EXECUTE-OL

Those events are declared in the *"initialize()"* function and defined in the *"handleMessage()"*. Their execution is planned thanks to the *"scheduleAt()" function*.

CalcPower()

Introduction

IterationInnerLoop()



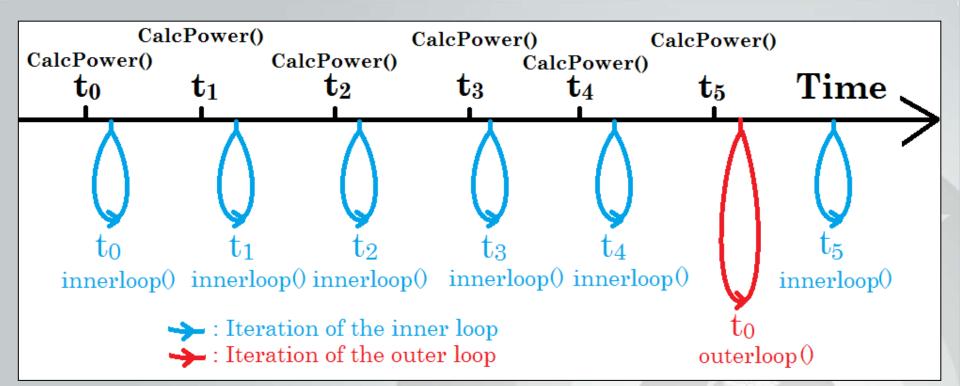


IterationOuterLoop()



Implementation of the simulation





•The convergence of the inner loop is mostly reached after five iterations •A realistic execution of the inner loop can be assumed every 0,5 second

CalcPower()

lterationInnerLoop()

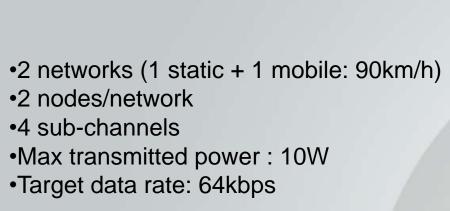
IterationOuterLoop()

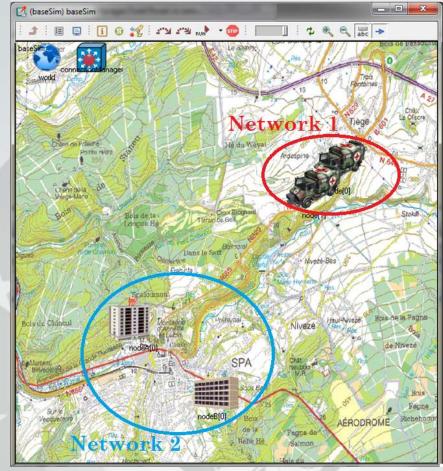




Simulation results







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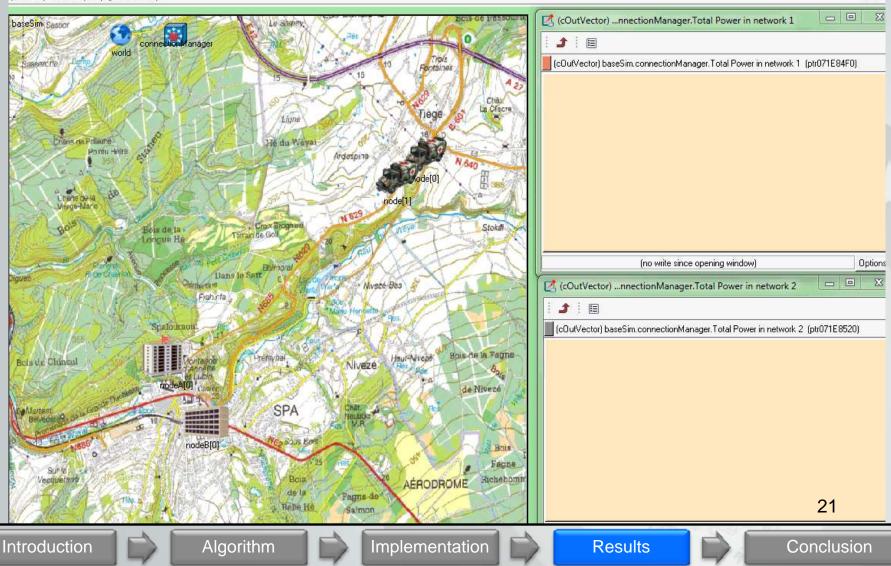
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(baseSim) baseSim (id=1) (ptr09139600)





Zoom

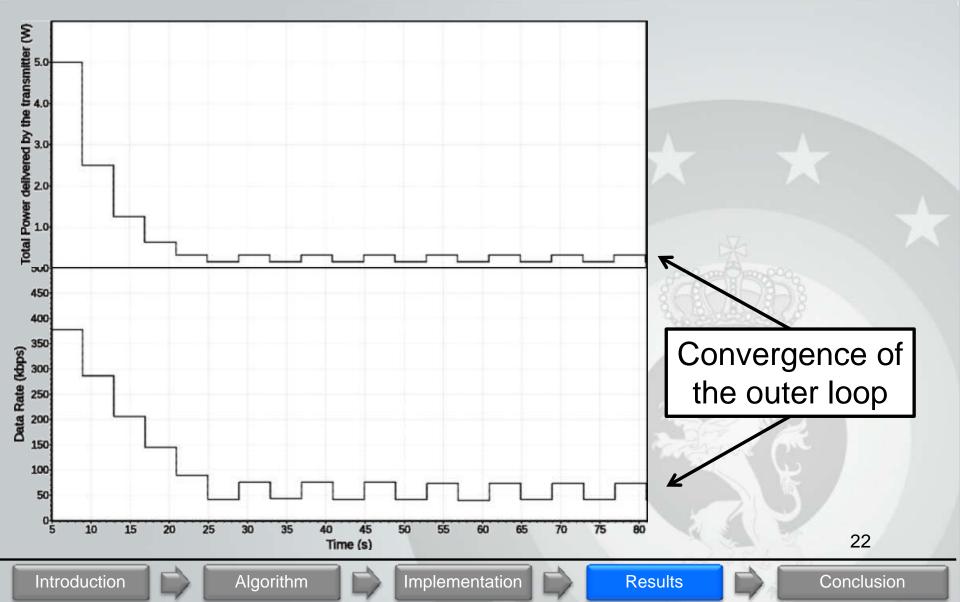


DEFENSIE



Simulation results



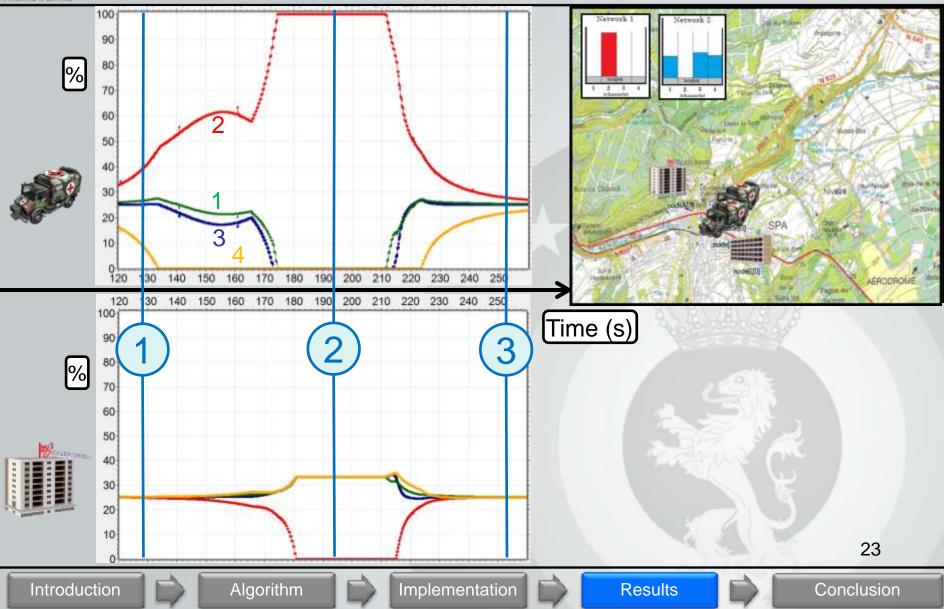




FENSIE

Simulation results











Adaptation of cGate to make possible the use of multiple channels

Creation of maps for stocking data related to the algorithm

Implementation of functions and events necessary for the execution of IWF

Validation of the simulation in the case of 2 networks with 1 Rx and 1 Tx

This implementation will allow the study of the IWFA in more realistic environment It can be used as a framework to compare different game theory based algorithms





Questions



